#### Lies, Damn Lies, and Internet Measurements Statistics and Network Measurements

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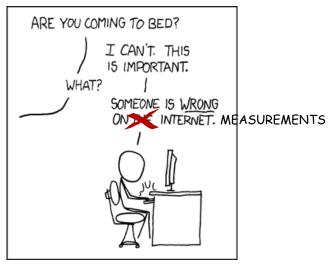
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> > July 11, 2014

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There are three kinds of lies: lies, damned lies, and statistics. Mark Twain

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http://xkcd.com/386/

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# Statistics and Network Measurements

- Everyone here understands the value of network measurements
- However, not wanting to be too controversial, the NM community is hopeless at statistics
  - its not a unique problem
  - but it can cause some misinterpretations
- War stories
  - ► e.g., X is better than Y, and related rankings
  - e.g., The red board



- 1560s Cardan, calculate dice probabilities
  - 1654 Pascal and Fermat, theory of probability
  - 1713 Bernoulli, Law of large numbers
  - 1756 Simpson, Theory of Errors
  - 1761 Bayes' Theorem
  - 1801 Gauss, line of best fit
  - 1814 Laplace, lots of contributions

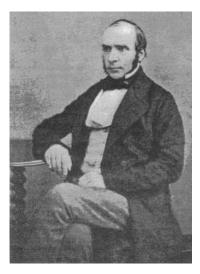
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- 1854 John Snow, Broad Street
- 1854+ a little other stuff happened!



### A little history of Network Measurements

1969- ARPANET and all that ...

- measurements are part of it, but not much is published (as far as I know)
- stochastic simulation is the norm
- lots of stochastic models proposed and used for data traffic – few measurements used
- c1992-97 Beran, Erramilli, Leland, Taqqu, Sherman, Willinger, Wilson, and a few others publish a series of papers about self-similar traffic
- c1992-97 Vern Paxson does his PhD at Berkeley on "Measurement and Analysis of End-to-End Internet Dynamics"
- c1995-97 Cunha, Bestavros, and Crovella look at web traces
  - $2000+ \ Network \ measurements \ exploded$ 
    - 2000 First PAM
    - 2001 First IMW (becomes IMC in 2003)
    - 2001 Endace founded

# A little history of Network Measurements

- This is hardly a fair history
  - much is missing
  - focus on what I see as seminal (because it influenced me)
  - apologies to those I left out (CAIDA, Neville Brownlee, and many others)
- I'm trying to make a point though
  - ▶ around 92-97 the Internet was growing and changing very rapidly
  - and we went from being data poor to data rich very quickly
  - initial studies were motivated and supported by stochastic models
  - their impact derived from data
- We took the last bit on board
  - data is now seen as key
  - huge efforts to make this data "good"
  - we seem to have forgotten some of the original modelling and statistics that also made those early result so valuable

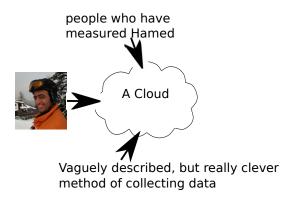
### **Obligatory Block Diagram**

Lets use Internet Measurement to find out how tall Hamed is



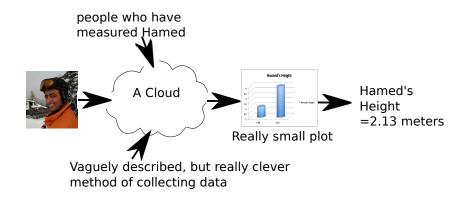
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# **Obligatory Block Diagram**

Lets use Internet Measurement to find out how tall Hamed is



#### Case 1: the test

- Common test: test for a problem
  - in medicine it might be a disease
  - in networks, often look for an "anomaly"
- Consider the following
  - There's a chance you have a horrible disease
  - ► Your doctor comes to you with test results, and says "your test was positive", he also says "the test is 90% accurate".
  - How worried are you?

#### Case 1: example

• There are two types of error

type I false alarm or false positive

type II failed to detect the problem (false negative)

#### • Imagine a hypothetical test for disease with the following properties

- ▶ if you have the disease, it will be detected 90% of the time
- if you don't have the disease, then 90% of the time, the test will tell you that you don't

It seems fair to call it 90% accurate

- Now suppose that 1 in 10 people have the disease
- You go to your doctor, and he tells you (in a serious voice) that your test has come back positive
  - what is the chance that you actually have the disease?

#### Case 1: analysis

Its a conditional probability problem, but its actually even easier: imagine 100 people:

- One person in 10 has the disease, so 10 in total
- ② If the blood test is 90% accurate, 9 of these will show up in the test
- The other 90 do not have the disease, but 10% will still get a positive result, i.e., 9
- So 9 people with a positive test have it, and 9 dont
- Sour chances are 50:50

#### Interlude: some hardware porn A Naked Procket



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#### Case 1: network measurement case

- Anomaly detection:
  - ▶ 99% detection probability
  - 1% false alarm probability
- Applied to network
  - SNMP link traffic: bytes and packets
  - collected every 5 minutes, on each link
  - 1000 links
  - average 10 real problems per day

false alarms per day  $\simeq 1000 \times 24 \times 12 \times 2 \times 2 \times 0.01 = 11,520$ 

 $Pr(alarm is genuine) = 9.9/11,520 \simeq 0.0009$ 

• Result: ops switch off the alarm system

If you choose an answer to this question at random, what is the chance you will be correct?

A 25%
B 50%
C 66%
D 25%

#### What to do

- There's lots of research going on
  - some is on how to do this stuff better
- Be careful with statistics (obviously)
  - learn enough (to be dangerous)
  - consult with a statistician
    - $\star$  this seems to be becoming the norm for medical studies
- Consult your statistician early
  - preferably before experimental design
  - otherwise results may be usefulness, but at the very least you will waste resources, and your statisticians time
- All is not lost
  - results may be useful despite model failures
  - proof is in the pudding
  - but it better be good

- Sorry about the Stats 101 for those already initiated
- Any questions?

# Further reading I

- J.Beran, R.Sherman, M.Taqqu, and W.Willinger, *Variable-bit-rate video traffic and long range dependence*, Tech. Report TM-ARH-020766, Bellcore, 1992.
- Will E. Leland, Murad S. Taqqu, Walter Willinger, and Daniel V. Wilson, *On the self-similar nature of Ethernet traffic (extended version)*, IEEE/ACM Transactions on Networking **2** (1994), no. 1, 1–15.
  - V. Paxson, *Measurements and analysis of end-to-end internet dynamics*, Ph.D. thesis, U.C. Berkeley, 1997, ftp://ftp.ee.lbl.gov/papers/vp-thesis/dis.ps.gz.